

References

- [1] AIM Minimum Rank – Special Graphs Work Group (F. Barioli, W. Barrett, S. Butler, S. Cioaba, D. Cvetkovic, S. Fallat, C. Godsil, W. Haemers, L. Hogben, R. Mikkelsen, S. Narayan, O. Pryporova, I. Sciriha, W. So, D. Stevanovic, H. van der Holst, K.V. Meulen, A. W. Wehe), Zero forcing sets and the minimum rank of graphs, *Linear Algebra and its Applications*, Volume 428, Issue 7, 1 April 2008, Pages 1628-1648.
- [2] David Amos, Yair Caro, Randy Davila, Ryan Pepper, Upper bounds on the k-forcing number of a graph, *Discrete Applied Mathematics* 181 (2015) 1-10.
<https://doi.org/10.1016/j.dam.2014.08.029>
- [3] Daniel Burgarth and Vittorio Giovannetti, Full control by locally induced relaxation, *Phys.Rev. Lett.* 99, 100501 (2007).
<https://doi.org/10.1103/PhysRevLett.99.100501>
- [4] Kiran B. Chilakammari, Nathaniel Dean, Cong X. Kang, Eunjeong Yi, Iteration Index of a Zero Forcing Set in a Graph, *Bull. Inst. Combin. Appl.* Vol. 64 (2012) pp. 57-72.
- [5] Paul A. Dreyer Jr. and Fred S. Roberts, Irreversible k-threshold processes: Graph-theoretic threshold models of the spread of disease and of opinion, *Discrete Applied Mathematics* 157 (2009), 1615-1627. <https://doi.org/10.1016/j.dam.2008.09.012>
- [6] C.J. Edholm, L. Hogben, M. Huynh, J. LaGrange, and D.D. Row, Vertex and edge spread of the zero forcing number, maximum nullity, and minimum rank of a graph, *Linear Algebra and its Applications*, 436 (2012), 4352-4372.
<https://doi.org/10.1016/j.laa.2010.10.015>
- [7] Linda Eroh, Cong Kang, Eunjeong Yi, Metric dimension and zero forcing number of two families of line graphs
- [8] Leslie Hogben, My Huynh, Nicole Kingsley, Sarah Meyer, Shanise Walker, Michael Young, Propagation time for zero forcing on a graph, *Discrete Applied Mathematics* 160 (2012), 1994- 2005. <https://doi.org/10.1016/j.dam.2012.04.003>
- [9] Seth A. Meyer, Zero forcing sets and bipartite circulants, *Linear Algebra and its Applications* 436 (2012), 888-900. <https://doi.org/10.1016/j.laa.2011.09.022>
- [10] Darren Row, A technique for computing the zero forcing number of a graph with a cut-vertex, *Linear Algebra and its Applications* 436 (2012), 4423-4432.
<https://doi.org/10.1016/j.laa.2011.05.012>
- [11] Darren Row, *Zero forcing number: Results for computation and comparison with other graph parameters*, Ph.D. Thesis, Iowa State University, 2011.
- [12] Douglas B. West, *Introduction to Graph Theory*, second ed., Prentice Hall, Upper Saddle River, NJ, 2001.
- [13] Eunjeong Yi, On Zero Forcing Number of Permutation Graphs, *Combinatorial Optimization and Applications*, Lecture Notes in Computer Science Volume 7402, 2012, pp 61-72. https://doi.org/10.1007/978-3-642-31770-5_6